# Adarules: Learning rules for real-time road-traffic prediction

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# Traffic (flow) prediction How and what for?

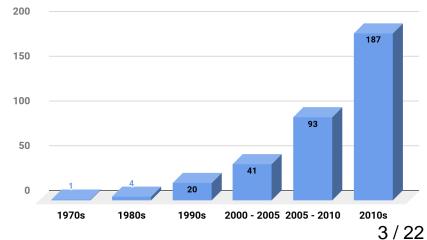


#### **Traffic prediction research**



#### "Traffic flow prediction"

Article count





# Why traffic prediction

- Traveler Information Services
- Active Traffic Management
- Beneficial impact on the network performance in terms of throughput, congestion length and average network speeds.

- Decision support systems for real-time traffic management.
  - Example: Aimsun Online
- Valuable input for other processes: trend to merge both approaches, purely data-driven methods and simulation models.

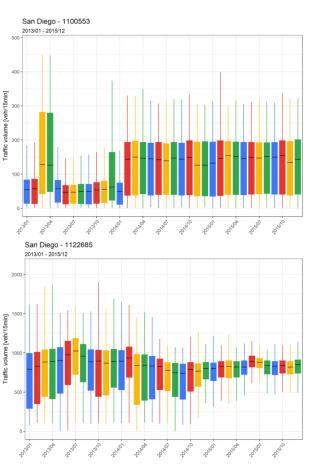
### **Motivation**

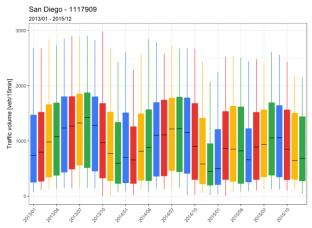
### Case study: San Diego (I-15)

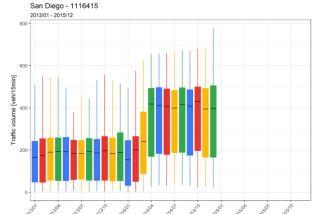


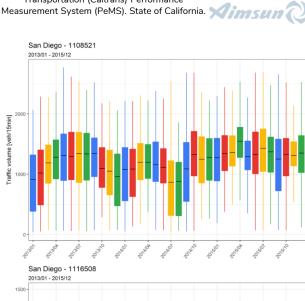
Aimsun (

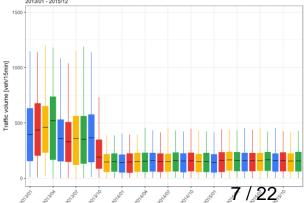
### Case study: San Diego (I-15) Data source: California Department of Transportation (Caltrans) Performance Measurement System (PeMS). State of California.









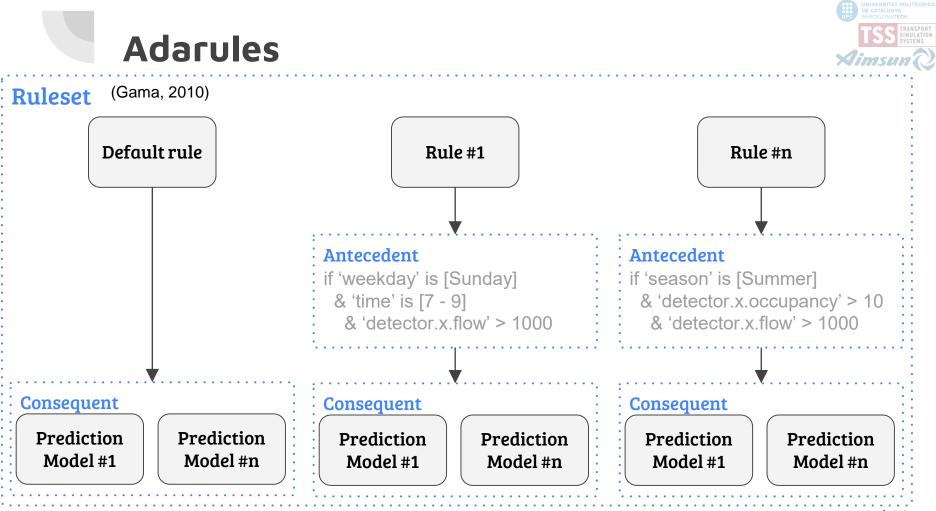


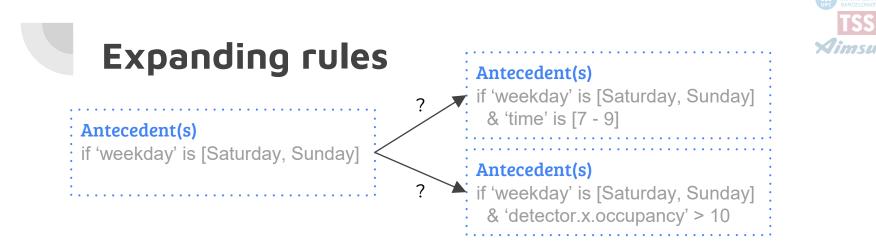




- Diversity (kind of network, or even within the same network)
- Sudden change
- Gradual change (drift)
- Missing data observations
- Dependence on the data scientist or traffic engineer criteria for each case

Our approach: learning adaptive rules "Adarules"

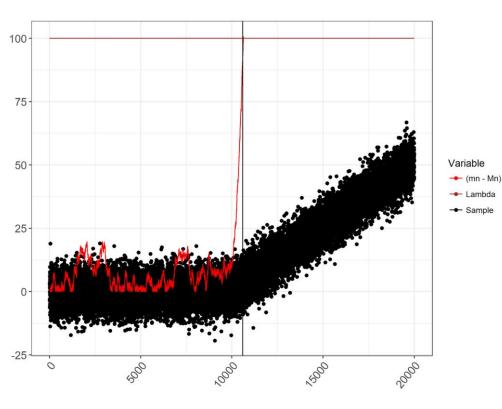




- To further specialize a current rule after observing enough data
  - Select n combinations (random, smart guess...) of attributes/splitpoints
  - Calculate entropy (measuring the randomness of data) on the outcome distribution
  - Hoeffding bound (as in Gama, 2010); statistical test to decide if the best scored split significantly reduces the metric
- ★ Non-parametric approach (finding spatiotemporal patterns in the network)
- ★ Minimum number of assumptions (i.e. maximizing the outcome probability)
- $\star$  Better interpretability than black-box models



### Online learning: Sudden change



- Concept drift detection. Algorithm used based on the Page-Hinkley test.
- It starts to monitor the rule's mean error when a new rule is built. Rule mean error should be located at 0.
- When a change is detected, the rule is removed from the ruleset.
  - Other approaches could be considered: changing the ruleset structure, merging rules...
- This kind of (sudden) change is handled at rule level



### Rule prediction models

- Weighted (historical) mean (in the scope of the rule)
- LASSO: Sparse linear regression to capture the spatial dependencies in the network:

$$\min_{\boldsymbol{\beta}\in\mathbb{R}^p}\left\{\frac{1}{N}\|\boldsymbol{y}-\boldsymbol{X}\boldsymbol{\beta}\|_2^2+\boldsymbol{\lambda}\|\boldsymbol{\beta}\|_1\right\}$$

High-dimensional problem (San Diego district 11 has +1500 detection stations)

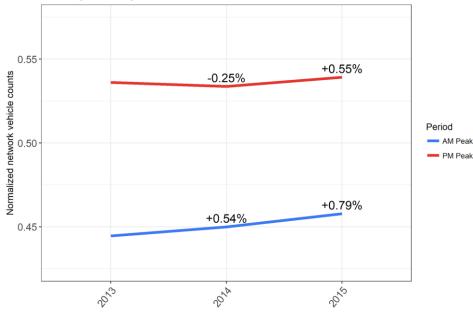
 $n \ll p$ 

# Online learning: Gradual change

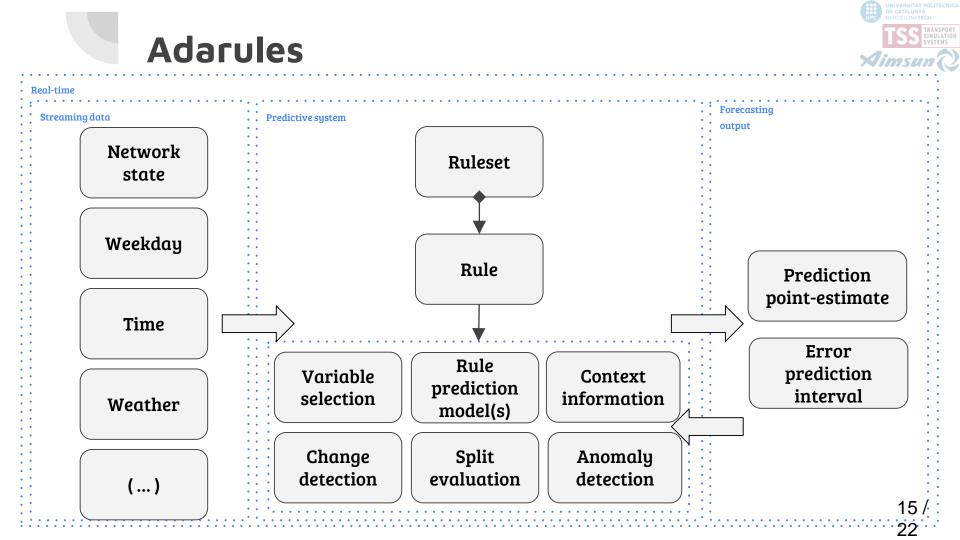


San Diego [2013/01 to 2015/12]





- Seasonality, traffic demand growth...
- This kind of gradual change is handled at rule predictor level.
- Specific solution for each rule predictor
  - Weighted historical mean: age decaying factor
  - LASSO: coordinate-wise descent with softthresholding

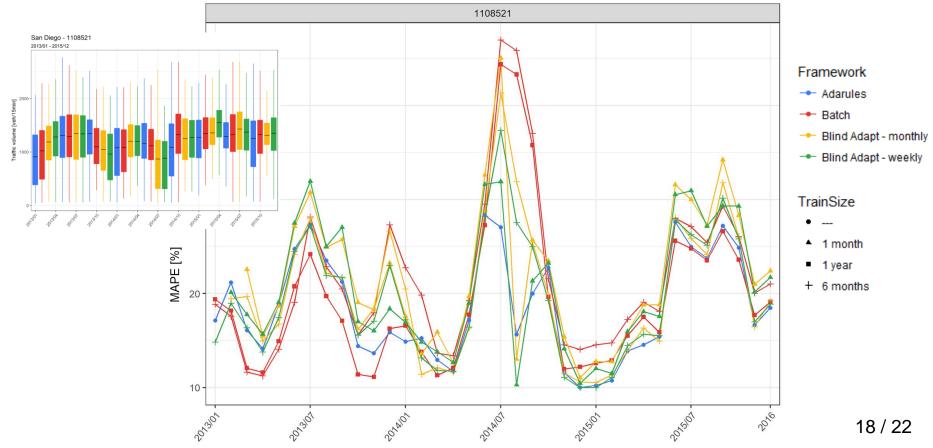




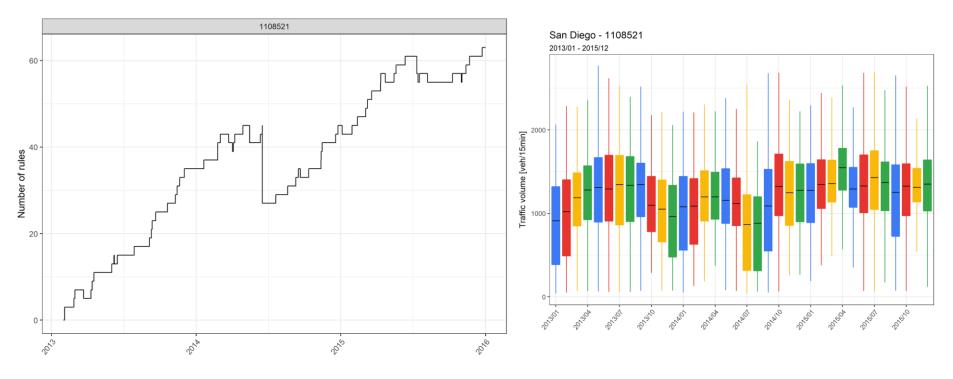


- Dataset: 2013/01 to 2015/12
- Tested approaches
  - Adarules (real-time)
  - Lassos for each 15-min interval trained in **batch** mode
    - **1 year** train data set (2013/01 to 2013/12)
    - **6 month** train data set (2013/01 to 2013/06)
  - Lassos for each 15-min interval **retrained** (blindly) every **month** 
    - Using the last **6 month** as training data
    - Using the last **1 month** as training data
  - Lassos for each 15-min interval **retrained** (blindly) every **week** 
    - Using the last 6 month as training data
    - Using the last **1 month** as training data



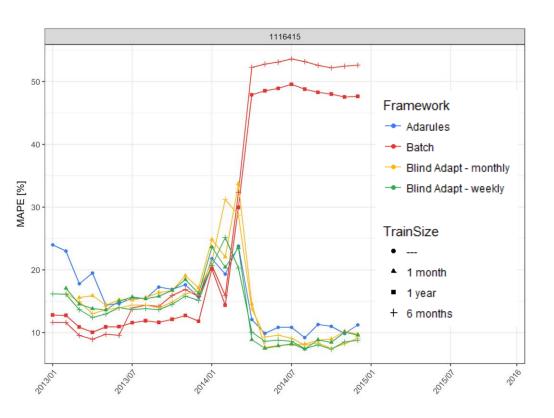


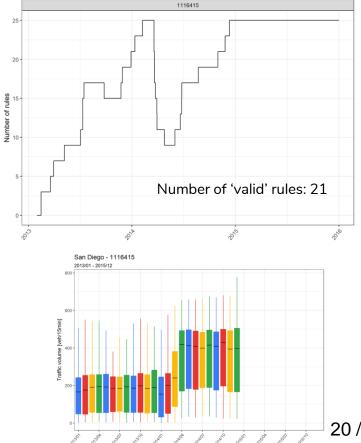




Number of 'valid' rules: 48







20/22

Conclusions & Future work

# Conclusions



- $\rightarrow$  Fast adaption to change
- ightarrow Autonomy to decide the best decisions with more data
- → Interpretable spatiotemporal patterns for traffic managers
- → Prediction accuracy is important, but not the only criteria (Karlaftis and Vlahogianni, 2011; Kirby et al., 1997). Autonomy, maintenance and adaptation, interpretability

#### **Future work**

- → Multi-task learning
- → Incident management
- → Improving real-time efficiency

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